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# OPERATIONAL RESEARCH

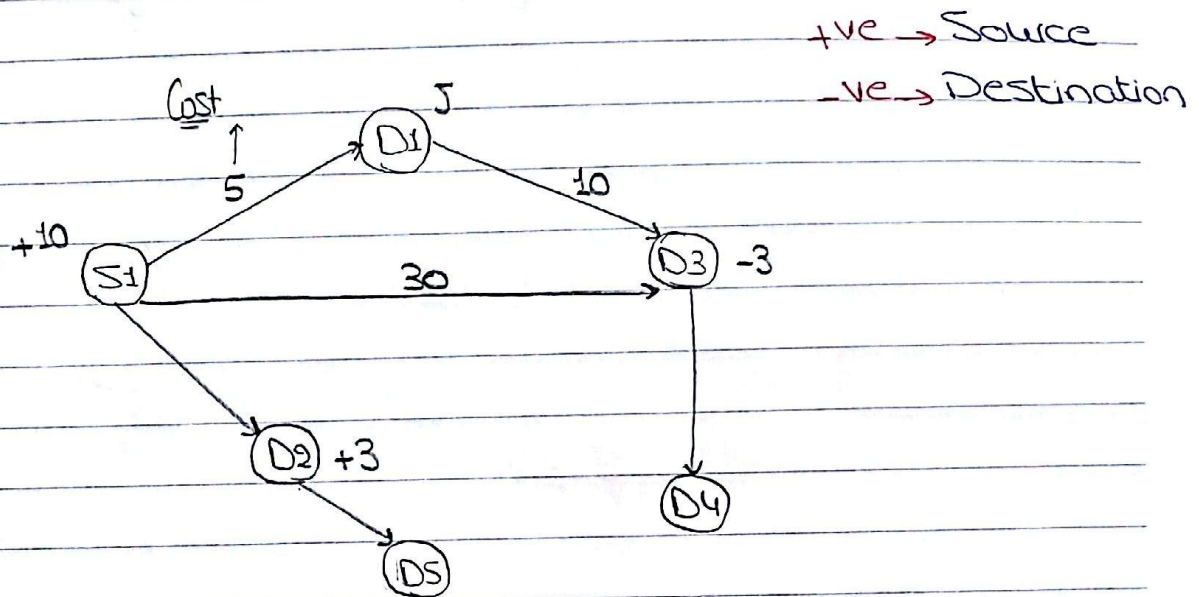
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## Section 8



## Transshipment Problem

↳ Same as transportation model problem, but the only difference is that there is non-direct transportation besides the direct one.



### 1. Pure Source

→ Has only out arrows. "S1"

### 2. Pure Destination

→ Opposite of pure source, has only in arrows  
"D3, D4"

### 3. Pure Junction

→ No Demand, No Supply

Act as source and destination with

demand = total demand and Supply = total

Supply. "D1"

### 4. Junction + Source

→ Source "has supply"

Supply = its supply + total supply and

● demand = total demand

● 5. Junction and destination:

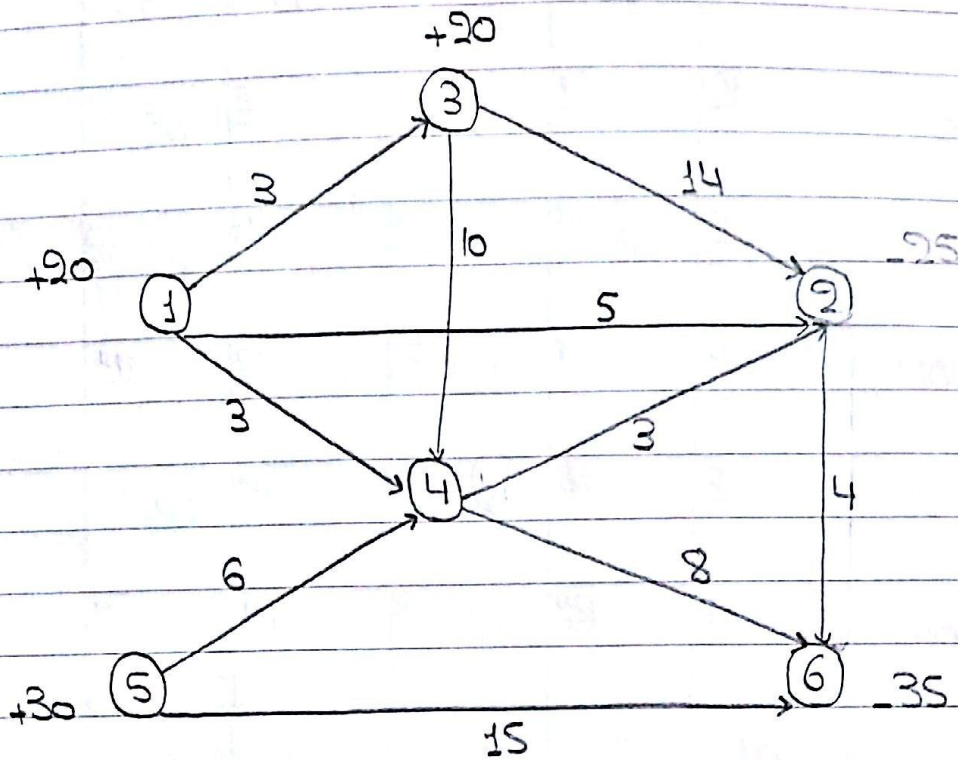
→ Has demand

demand = It's demand + total demand and

Supply = total Supply.



● Example 8



- Notes: +ve → Supply
- ve → Demand

So, Total Supply =  $20 + 20 + 30 = 70$   
 Total Demand =  $25 + 35 = 60$

Add Dummy Destination =  $70 - 60 = 10$

● Pure Source: 1 and 5

● Pure Destinations: 6

● Pure Junctions: 4 → Total Supply = total demand = 70

● Junction + Source: 3, Supply =  $70 + 20 = 90$ , demand = 70

● Junction + Destinations: 2, Demand =  $70 + 25 = 95$

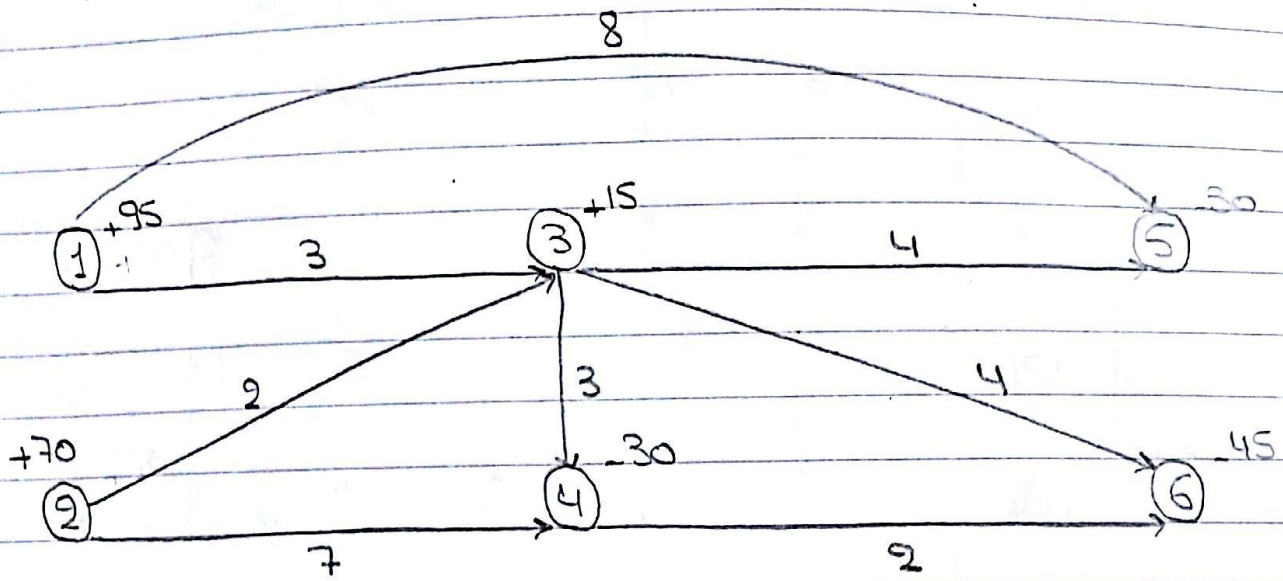
Supply = 70

● (M) → Cost when there is no direct transportation

	D2	D3	D4	D6	Dummy	Supply
S1	5 20	3	3	11	0	20
S2	0 35	11	11	4 35	0	70
S3	14	0 70	10 10	11	0 10	90
S4	3 40	11	0 30	8	0	70
S5	11	11	6 30	15	0	30
Demand	95	70	70	35	10	



● Example 9 on transshipment problems



\* Total Supply =  $95 + 15 + 70 = 180$

Total demand =  $30 + 30 + 45 = 105$

● So, Add Dummy Destination with demand  $= 180 - 105 = 75$

- Pure Source  $\rightarrow 1, 2$

- Pure Destination  $\rightarrow 5, 6$

- Junction  $\rightarrow$

- Junction + Destination  $\rightarrow 4 \rightarrow$  Supply = 180

Demand =  $180 + 30 = 210$

- Junction + Supply  $\rightarrow 3 \rightarrow$  Supply =  $180 + 15 = 195$

Demand = 180

## Destinations

	3	4	5	6	Dummy	Supply	
1	3	7	8	7	0	95	
2	2	7	7	7	0	70	Source
3	0	3	4	4	0	195	
4	7	0	7	2	0	180	
Demand	180	210	30	45	75		